

## Lecture Course: From Chow groups to Motivic Homotopy Theory

The following list contains mainly references for Chow groups and various basic motivic constructions (pure and mixed motives, unstable and stable motivic homotopy categories, etc.) and their elementary properties. Additional references to more recent research articles, related to computations and applications, will be provided during the course.

### Literatur

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