

**Algorithm 5.6.: Algorithm for $1/P/\bullet/l_\infty/\max$**

Input: Existing facilities $a_1, \dots, a_n \in \mathbb{R}^2$; positive weights $w_j, j = 1, \dots, n$.

Step 1: Determine $z^* := \max\{|z_{jl}^k| : j, l \in \{1, \dots, n\}, j < l; k \in \{1, 2\}\}$, where

$$z_{jl}^k := \frac{w_j w_l}{w_j + w_l} (a_{jk} - a_{lk}), \quad j, l \in \{1, \dots, n\}, j < l; k \in \{1, 2\}.$$

Step 2: Set $\mathcal{X}^* := [A_1^-(z^*), A_1^+(z^*)] \times [A_2^-(z^*), A_2^+(z^*)]$, where for $k = 1, 2$

$$\begin{aligned} A_k^+(z) &:= \min_{j=1, \dots, n} A_{jk}^+(z), & A_{jk}^+(z) &:= a_{jk} + \frac{1}{w_j} z, & j &= 1, \dots, n \\ A_k^-(z) &:= \max_{j=1, \dots, n} A_{jk}^-(z), & A_{jk}^-(z) &:= a_{jk} - \frac{1}{w_j} z, & j &= 1, \dots, n \end{aligned}$$

Output: Set of optimal solutions \mathcal{X}^* of $1/P/\bullet/l_\infty/\max$,
optimal objective value z^* .